



## Effect of Degradation on Collapse Margin Ratio of Steel Moment Frames

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### ABSTRACT

Although several studies have investigated the effect of degradation on the behavior of structures, inspections on collapse margin ratios are rare in the literature. In this study, the effect of strength and stiffness degradation on collapse capacity of steel moment frames is inquired. The aim is to determine margin of safety against collapse applying a probabilistic approach. To this end, 14 moment frames are designed including 4 long period and 3 short period models with 5 and 8m bay length. These buildings are representative of common office and residential buildings built in cities. Also, they are designed in consonance with ASCE7-05 specifications. In the first stage, effective seismic parameters are calculated using a pushover analysis. In the second stage, collapse performance levels are determined using incremental dynamic analysis by considering seismic excitation uncertainties. Results reveal that the overstrength factor that is recommended by ASCE code is not always conservative. Overall, structures designed with common building codes show acceptable margin of safety against collapse.

## 1. Introduction

Preventing collapse of structures has always been a concern for earthquake engineers. Collapse means that the structure is no longer able to tolerate gravity loads during a seismic action. For this reason, numerous methods are introduced to understand and evaluate mechanism of collapse. Some of researchers investigated the P- $\Delta$  effect on collapse

capacity of structures, while others focused on the effect of strength and stiffness degradation on severity of damage [1-6]. Regardless of which, in recent years the role of strength and stiffness degradation has attracted more attention.

Rahnama and Krawinkler [7] indicated that strength degradation in nonlinear SDOF systems increases post-elastic displacements

and therefore leads to considerably higher ductility demands. Miranda and Akkar [8] investigated the minimum lateral strength required to prevent collapse of degrading

SDOF systems. Their studies revealed that strength and stiffness degradation has a major effect on earthquake induced

**Table 1.** Structures specifications and performance groups.

| Group No.   | T     | No. of stories | Design parameters |                |                    |   |             |       |        |                  |
|---|-------|----------------|-------------------|----------------|--------------------|---|-------------|-------|--------|------------------|
|   |       |                | (gravity loads)   | Bay length (m) | Seismic parameters |   |             |       |        | $S_{MT}(T_1)(g)$ |
|   |       |                |                   |                | SDC                | R | $T_a$ (sec) | $T_1$ | $C_s$  |                  |
| Performance group A (5m bay length, short period) |       |                |                   |                |                    |   |             |       |        |                  |
| 01 – A  | short | 1              | ordinary          | 5              | $D_{max}$          | 8 | 0.18        | 0.31  | 0.1225 | 1.5              |
| 02 – A  |       | 2              | ordinary          | 5              | $D_{max}$          | 8 | 0.32        | 0.56  | 0.1225 | 1.5              |
| 03 – A  |       | 3              | ordinary          | 5              | $D_{max}$          | 8 | 0.44        | 0.69  | 0.1090 | 1.3              |
| Performance group B (5m bay length, long period)  |       |                |                   |                |                    |   |             |       |        |                  |
| 06 – B  | long  | 6              | ordinary          | 5              | $D_{max}$          | 8 | 0.77        | 1.03  | 0.073  | 0.87             |
| 09 – B  |       | 9              | ordinary          | 5              | $D_{max}$          | 8 | 1.06        | 1.43  | 0.053  | 0.63             |
| 12 – B  |       | 12             | ordinary          | 5              | $D_{max}$          | 8 | 1.34        | 1.60  | 0.047  | 0.56             |
| 15 – B  |       | 15             | ordinary          | 5              | $D_{max}$          | 8 | 1.60        | 1.98  | 0.038  | 0.45             |
| Performance group C (8m bay length, short period) |       |                |                   |                |                    |   |             |       |        |                  |
| 01 – C  | short | 1              | ordinary          | 8              | $D_{max}$          | 8 | 0.18        | 0.28  | 0.1225 | 1.5              |
| 02 – C  |       | 2              | ordinary          | 8              | $D_{max}$          | 8 | 0.32        | 0.45  | 0.1225 | 1.5              |
| 03 – C  |       | 3              | ordinary          | 8              | $D_{max}$          | 8 | 0.44        | 0.56  | 0.1225 | 1.5              |
| Performance group D (8m bay length, long period)  |       |                |                   |                |                    |   |             |       |        |                  |
| 06 – D  | long  | 6              | ordinary          | 8              | $D_{max}$          | 8 | 0.77        | 0.88  | 0.085  | 1.02             |
| 09 – D  |       | 9              | ordinary          | 8              | $D_{max}$          | 8 | 1.06        | 1.37  | 0.058  | 0.66             |
| 12 – D  |       | 12             | ordinary          | 8              | $D_{max}$          | 8 | 1.34        | 1.52  | 0.049  | 0.59             |
| 15 – D  |       | 15             | ordinary          | 8              | $D_{max}$          | 8 | 1.60        | 1.79  | 0.043  | 0.50             |

displacements. Song and Pinchera [9] inspected the role of strength and stiffness degradation on maximum response of degrading systems. They concluded that the displacement caused by earthquake, specially, in short period structures, can result in up to two times higher displacement demands in degrading systems in comparison to nondegrading ones. Ibarra et al. [10] conducted a comprehensive study on strength and stiffness degradation and their effect on amplification of dynamic instability of structures. These studies were later followed by Ibarra et al. [11] and Ibarra and Krawinkler [12] as well.

Although numerous studies are conducted on the effect of degradation on seismic behavior

of the structures, margins of safety of such structures against marginal performance levels is not well understood. Accordingly, the aim of this study is to investigate the effect of stiffness and strength degradations on collapse margin ratios of steel moment frames with different configurations applying a probabilistic approach. To this end, a relatively widespread range of steel moment frames with 1-, 2-, 3-, 6-, 9-, 12- and 15-story structures with 5 and 8 m bay length is considered which includes total of 14 structures. Nonlinear static and dynamic analyses are carried out. Finally, margin of safety of the structures against collapse is calculated applying FEMA-P695 methodology [13].

## 2. Design and Modeling of Structures

In this study, steel moment frame structures are selected in a way that they are

representative of common residential and office buildings built in cities. On this basis, 1-, 2-, 3-, 6-, 9-, 12- and 15- story structures are deliberated.

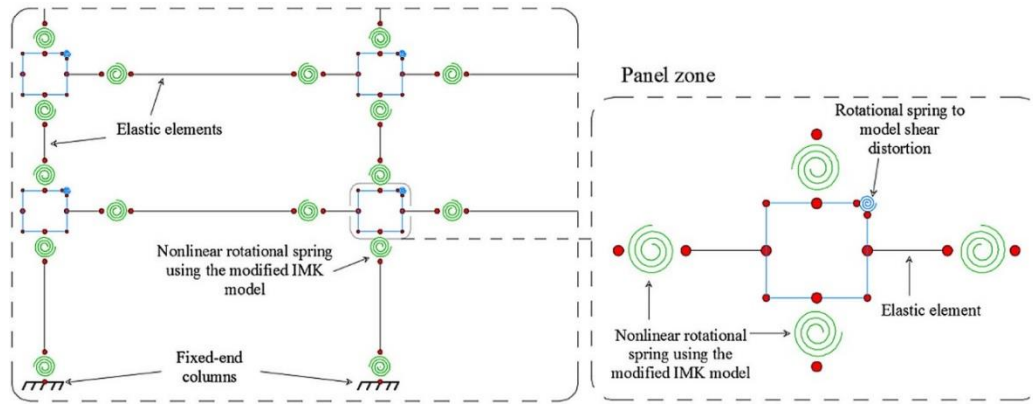


Fig. 1. connection an panel zone modeling details [20].

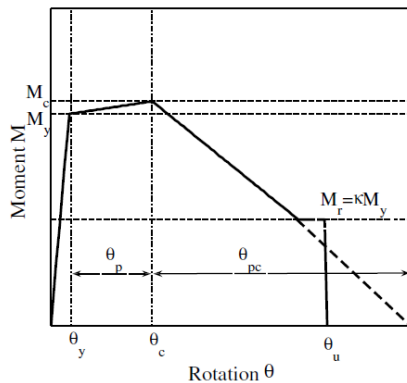


Fig. 2. General moment-rotation behavior [17].

All the structures have 3 bays. Two types of structures are designed with 5 and 8 bay length. Buildings are designed confirming to ASCE/SEI7-05 [14] code. Seismic design parameters including response modification factor ( $R$ ), overstrength factor ( $\Omega_0$ ), and deflection amplification factor ( $C_d$ ) are selected as 8, 2.7, and 5.5, respectively. Dead and live loads of stories are considered as  $600 \text{ kg/m}^2$  and  $200 \text{ kg/m}^2$  which are distributed pursuant to the bay's tributary load area. It is assumed that the buildings are located in an area with

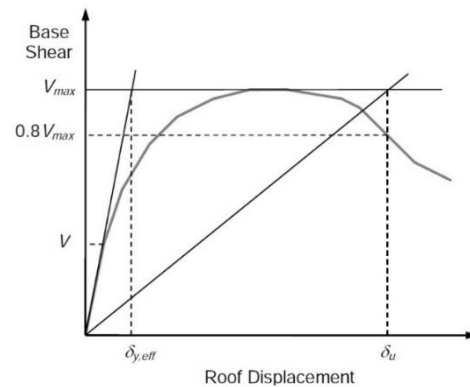


Fig. 3. Calculation of maximum displacement capacity [13].

very high seismicity and soil type III [15]. Frames are regular in plan and elevation. Therefore, 2D models are utilized for analysis. Table 1 lists the buildings specifications, performance groups, and index archetypes.

Modeling and analysis is carried out applying OpenSEES [16] software. Concentrated plasticity is used to model nonlinear behavior of frame members. For this purpose, beam-column members are modeled as elastic elements. Nonlinear springs are placed at the

end of members to model nonlinearity. ‘Bilin’ material [17] is used to capture moment-rotation relationship. This material can model hysteresis behavior with stiffness and strength degradation. Nonlinear

parameters are designated in consonance with Lignos and Krawinkler [18] suggestion (Fig. 2). According to the figure,  $M_y$  and  $M_p$  are

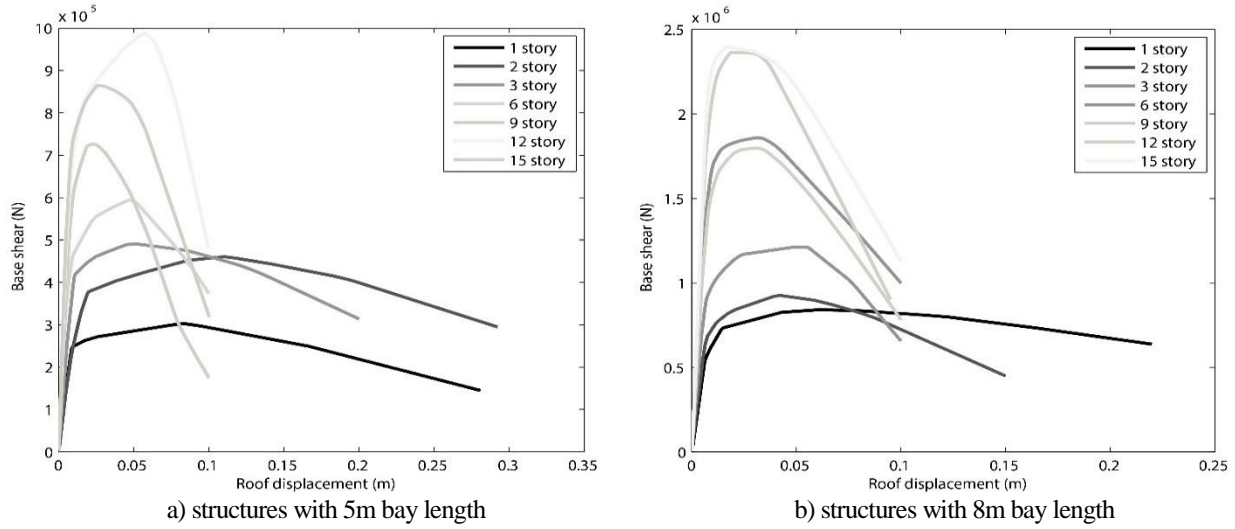


Fig. 4. Comparison of pushover curves.

calculated based on the section properties and  $\theta_y$ ,  $\theta_p$ , and  $\theta_{pc}$  are estimated using Eq. 1

$$\theta_p = 0.0865 * \left(\frac{h}{t_w}\right)^{-0.365} * \left(\frac{b_f}{2 * t_f}\right)^{-0.140} * \left(\frac{L}{d}\right)^{0.340} * \left(\frac{c_{unit}^1 * d}{533}\right)^{-0.721} * \left(\frac{c_{unit}^2 * F_y}{355}\right)^{-0.230}$$

$$\theta_{pc} = 5/63 * \left(\frac{h}{t_w}\right)^{-0.565} * \left(\frac{b_f}{2 * t_f}\right)^{-0.800} * \left(\frac{c_{unit}^1 * d}{533}\right)^{-0.280} * \left(\frac{c_{unit}^2 * F_y}{355}\right)^{-0.430}$$

$$\Lambda = \frac{E_u}{M_y} = 563 * \left(\frac{h}{t_w}\right)^{-\frac{1}{26}} * \left(\frac{b_f}{2 * t_f}\right)^{-\frac{0}{525}} * \left(\frac{L_b}{r_y}\right)^{-\frac{1}{26}} * \left(\frac{c_{unit}^2 * F_y}{355}\right)^{-0.291} \quad (1)$$

Recent studies indicate that modeling of panel zone in the analysis can strongly affect the structural behavior. It reduces lateral stiffness and can cause intensification of drift demands [19]. Accordingly, Panel zone is modeled here. As depicted in Fig. 1, panel

zone includes 8 rigid elements. These elements are connected together with joints at three corners. In the fourth corner a nonlinear spring is added to capture nonlinear behavior of the panel zone. ‘hysteresis’ material is applied for the spring. The moment-rotation behavior of the panel zone is adopted from Gupta and Krawinkler [20] using a trilinear curve. Ground motion records are selected from FEMA-P695 data set. This record set contains 22 pair of far field ground motion records.

### 3. Static Pushover Analysis

According to FEMA-P695, overstrength factor ( $\Omega_0$ ) and period-based ductility ( $\mu_T$ ) are calculated by nonlinear static (pushover) analysis. The analysis is confirming to the first mode of vibration. First, corresponding load combination is determined for gravity

loads. Second, structure weight (W) and earthquake base shear (V) are calculated. The base shear is distributed in height ( $V_x$ ) according to Eq. 2

$$V_x = V \times \frac{m_x \Phi_{l,x}}{\sum_{x=1}^n m_x \Phi_{l,x}} \quad (2)$$

Where  $m_x$  is mass at level  $x$  and  $\Phi_{l,x}$  is the mode shape vector at level  $x$ . Figure 3 illustrates an idealized pushover curve. In the figure,  $V_{max}$ ,  $\delta_u$ , and  $\delta_{y,eff}$  are maximum base shear capacity, maximum displacement capacity, and equivalent displacement of maximum base shear in elastic case, respectively.

In FEMA-P695 methodology, maximum displacement capacity ( $\delta_u$ ) corresponds to a displacement in which base shear capacity drops to 80% of maximum base shear capacity ( $V_{max}$ ). Overstrength factor ( $\Omega$ ) is defined as the ratio of maximum base shear ( $V_{max}$ ) and the base shear calculated from code provisions

$$\Omega = \frac{V_{Max}}{V} \quad (3)$$

Also, period-based ductility factor is defined as the ratio of maximum roof displacement capacity ( $\delta_u$ ) to the effective roof displacement ( $\delta_{y,eff}$ )

$$\mu_T = \frac{\delta_u}{\delta_{y,eff}} \quad (4)$$

effective roof displacement ( $\delta_{y,eff}$ ) is determined by

$$\delta_{y,eff} = C_0 \frac{V_{max}}{W} \left[ \frac{g}{4\pi^2} \right] (\max(T, T_1))^2 \quad (5)$$

Where  $\frac{V_{max}}{W}$  is normalized maximum base shear,  $g$  is spectral acceleration,  $T$  is the first mode period,  $T_1$  is the first mode period calculated from a eigen vector analysis, and  $C_0$  is a factor which relates displacement

correspond to first mode of vibration to roof displacement

$$C_0 = \Phi_{l,r} \times \frac{m_x \Phi_{l,x}}{\sum_{x=1}^n m_x \Phi_{l,x}^2} \quad (6)$$

Where  $m_x$  is mass at level  $x$ ,  $\Phi_{l,x}$  ( $\Phi_{l,r}$ ) is the mode shape vector at level  $x$  (roof), and  $n$  is the number of stories.

Based on the methodology mentioned above, pushover analysis is carried out on the structures. A comparison of capacity curves is performed in Fig. 4. According to the figure, shorter structures are able to tolerate larger displacements. Moreover, structures with 5m bay length can reach larger base shear compared to structures with 8m bay length. However, 8m bay length structures show larger ductility. It is notable that modification in ductility is not tangible for structures with over 9 stories.

Table 2 presents the values of  $\mu_T$  and  $\Omega_0$  calculated for the structures. It is obvious that overstrength factor ( $\Omega_0$ ) is extremely variable in short period structures, since it varies from 4.96 to 11.98. Furthermore, structures with 8m bay length demonstrate a wider range of  $\Omega_0$ . Variations of  $\Omega_0$  in large period structures are limited between 5.3 and 8.46. The same trend is observed for  $\mu_T$ . In general, ductility of short period structures is considerably larger than long period ones. According to the results,  $\mu_T = 10$  is suggested on average for the investigated structures.

Final results of pushover analysis for the 4 performance groups is provided in Table 3. It is note-worthy to mention that,  $\mu_T$  provided in this table is the average of  $\mu_T$  in each group.  $\Omega_0$  is provided in two cases: 1) maximum  $\Omega_0$  of the models in each performance group, 2) average  $\Omega_0$  of the models. FEMA-P695 uses the first approach to evaluate  $\Omega_0$ . According

**Table 2.** Pushover analysis results of degrading systems.

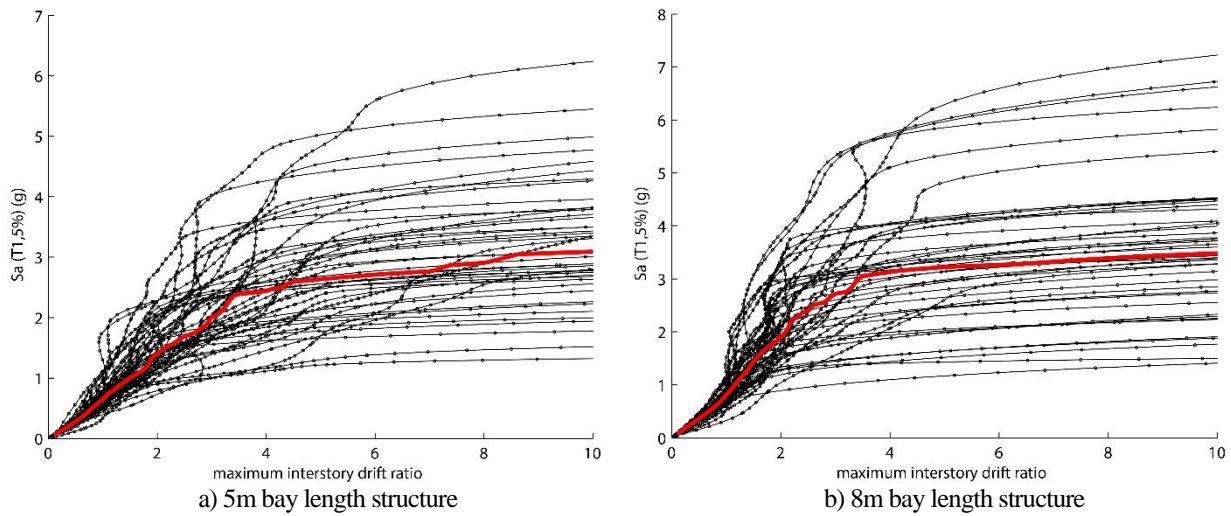
| Group No. | V design ( $C_w$ )<br>(N) | RDR <sub>y,eff</sub> | V <sub>max</sub> (N) | RDR <sub>u</sub> | $\Omega_0$ | $\mu_T$ | R    |
|-----------|---------------------------|----------------------|----------------------|------------------|------------|---------|------|
| Group A   |                           |                      |                      |                  |            |         |      |
| 01 – A    | 28286                     | 0.0103               | 302432               | 0.175            | 10.70      | 17.00   | 8.00 |
| 02 – A    | 64875                     | 0.0175               | 460190               | 0.2276           | 7.10       | 13.03   | 8.01 |
| 03 – A    | 92218                     | 0.0129               | 490357               | 0.1527           | 5.54       | 11.84   | 7.95 |
| Group B   |                           |                      |                      |                  |            |         |      |
| 06 – B    | 116600                    | 0.0094               | 594040               | 0.0799           | 4.82       | 8.46    | 7.94 |
| 09 – B    | 128400                    | 0.0097               | 726020               | 0.0514           | 5.34       | 5.30    | 7.92 |
| 12 – B    | 137846                    | 0.0105               | 988090               | 0.0805           | 6.10       | 7.70    | 7.94 |
| 15 – B    | 142702                    | 0.0090               | 864385               | 0.0646           | 5.26       | 7.19    | 7.88 |
| Group C   |                           |                      |                      |                  |            |         |      |
| 01 – C    | 70215                     | 0.0101               | 841508               | 0.0200           | 11.98      | 19.82   | 8.00 |
| 02 – C    | 157293                    | 0.0091               | 925845               | 0.0972           | 5.88       | 10.65   | 8.02 |
| 03 – C    | 236552                    | 0.0083               | 1213100              | 0.0790           | 4.96       | 9.52    | 8.03 |
| Group D   |                           |                      |                      |                  |            |         |      |
| 06 – D    | 279095                    | 0.0083               | 1859222              | 0.0651           | 5.40       | 7.84    | 8.00 |
| 09 – D    | 603737                    | 0.0094               | 1798828              | 0.0618           | 5.05       | 6.57    | 7.58 |
| 12 – D    | 328985                    | 0.0118               | 2362985              | 0.0543           | 5.86       | 4.60    | 8.02 |
| 15 – D    | 340379                    | 0.0084               | 2397139              | 0.0634           | 5.53       | 7.42    | 7.98 |

**Table 3.** Summary of pushover analysis for performance groups.

| Performance group | $\mu_T$ | $\Omega_0$ | $\Omega_{ave}$ |
|-------------------|---------|------------|----------------|
| Group A           | 13.96   | 10.7       | 7.78           |
| Group B           | 7.16    | 6.1        | 5.38           |
| Group C           | 13.33   | 11.98      | 7.60           |
| Group D           | 6.6     | 5.86       | 5.46           |

**Table 4.** Selected ground motion records for analysis.

| No. | Earthquake |      |                    | Recording station      |          |
|-----|------------|------|--------------------|------------------------|----------|
|     | Mw         | Year | Name               | Name                   | Owner    |
| 1   | 6.7        | 1994 | Northridge         | Beverly Hills – Mulhol | USC      |
| 2   | 6.7        | 1994 | Northridge         | Canyon Country-WLC     | USC      |
| 3   | 7.1        | 1999 | Duzce, Turkey      | Bolu                   | ERD      |
| 4   | 7.1        | 1999 | Hector Mine        | Hector                 | SCSN     |
| 5   | 6.5        | 1979 | Imperial Valley    | Delta                  | UNAMUCSD |
| 6   | 6.5        | 1979 | Imperial Valley    | El Centro Array #11    | USGS     |
| 7   | 6.9        | 1995 | Kobe, Japan        | Nishi-Akashi           | CUE      |
| 8   | 6.9        | 1995 | Kobe, Japan        | Shin-Osaka             | CUE      |
| 9   | 7.5        | 1999 | Kocaeli, Turkey    | Duzce                  | ERD      |
| 10  | 7.5        | 1999 | Kocaeli, Turkey    | Arcelik                | KOERI    |
| 11  | 7.3        | 1992 | Landers            | Yermo Fire Station     | CDMG     |
| 12  | 7.3        | 1992 | Landers            | Coolwater              | SCE      |
| 13  | 6.9        | 1989 | Loma Prieta        | Capitola               | CDMG     |
| 14  | 6.9        | 1989 | Loma Prieta        | Gilroy Array #3        | CDMG     |
| 15  | 7.4        | 1990 | Manjil, Iran       | Abbar                  | BHRC     |
| 16  | 6.5        | 1987 | Superstition Hills | El Centro Imp. Co.     | CDMG     |
| 17  | 6.5        | 1987 | Superstition Hills | Poe Road (temp)        | USGS     |
| 18  | 7.0        | 1992 | Cape Mendocino     | Rio Dell Overpass      | CDMG     |
| 19  | 7.6        | 1999 | Chi-Chi, Taiwan    | CHY101                 | CWB      |
| 20  | 7.6        | 1999 | Chi-Chi, Taiwan    | TCU045                 | CWB      |
| 21  | 6.6        | 1971 | San Fernando       | LA - Hollywood Stor    | CDMG     |
| 22  | 6.5        | 1976 | Friuli, Italy      | Tolmezzo               | --       |



**Fig 5.** comparison of IDA curves for 6-story structure.

to the table, difference between maximum and average  $\Omega_0$  is large for short period structures. The difference is at most 57% for short period structures and 13% for long period ones. Therefore, there is a significant difference between these two types of structures.

#### 4. Incremental Dynamic Analysis

After determination of  $\mu_T$  and  $\Omega_0$ , an IDA [21] analysis must be carried out to calculate collapse margin ratio (CMR). IDA is an analysis method by which condition of structure can be traced from elastic to near collapse. For instance, Fig. 5 portrays the IDA curves of 6-story building (black lines). Median IDA curves are plotted by thick red lines, as well. It can be observed that 6-story building with 8m bay length is able to reach larger spectral accelerations. Thus, it is anticipated that this structure possesses larger collapse capacity. In the following, method of calculating CMR and adjusted CMR (ACMR) is provided:

First, spectral acceleration corresponding to maximum considered earthquake in the first period of structure ( $\hat{S}_{MT}$ ) is calculated. For short period structures

$$S_{MT} = S_{MS} \quad (7)$$

and for long period structures

$$S_{MT} = \frac{S_{M1}}{T} \quad (8)$$

Values of  $S_{MS}$  and  $S_{M1}$  are calculated by Eq. 6-1 of FEMA-P695. Response modification factor (R) is calculated by

$$R = \frac{S_{MT}}{1.5 \times C_S} \quad (9)$$

Where  $C_S$  is the design base shear coefficient. Table 2 highlights the R values of the aforementioned structures. Results show that the calculated values well correlate with  $R=8$  suggested by ASCE/SEI 7-05. The difference of calculated values with code proposed values is only 7% in group D of long period structures.

Collapse margin ratio is determined by

$$CMR = \frac{\hat{S}_{CT}}{\hat{S}_{MT}} \quad (10)$$

$\hat{S}_{CT}$  is the spectral acceleration at the point of collapse in median IDA curve.



**Table 4.** Summary of safety factors.

| Group No.                 | Bay Details    |               |                |                  | Results      |      |        |          |
|---------------------------|----------------|---------------|----------------|------------------|--------------|------|--------|----------|
|                           | No. of stories | gravity loads | Bay length (m) | SDC              | allowed ACMR | ACMR | Result | S.F. (%) |
| Group A                   |                |               |                |                  |              |      |        |          |
| 01 – A                    | 1              | ordinary      | 5              | D <sub>max</sub> | 1.52         | 3.18 | accept | 110      |
| 02 – A                    | 2              | ordinary      | 5              | D <sub>max</sub> | 1.52         | 2.03 | accept | 33       |
| 03 – A                    | 3              | ordinary      | 5              | D <sub>max</sub> | 1.52         | 2.07 | accept | 36       |
| Mean of Performance Group |                |               |                |                  | 1.9          | 2.66 | accept | 40       |
| Group B                   |                |               |                |                  |              |      |        |          |
| 06 – B                    | 6              | ordinary      | 5              | D <sub>max</sub> | 1.52         | 2.05 | accept | 35       |
| 09 – B                    | 9              | ordinary      | 5              | D <sub>max</sub> | 1.52         | 2.4  | accept | 58       |
| 12 – B                    | 12             | ordinary      | 5              | D <sub>max</sub> | 1.52         | 2.16 | accept | 42       |
| 15 – B                    | 15             | ordinary      | 5              | D <sub>max</sub> | 1.9          | 2.07 | accept | 36       |
| Mean of Performance Group |                |               |                |                  | 1.52         | 2.17 | accept | 14       |
| Group C                   |                |               |                |                  |              |      |        |          |
| 01 – C                    | 1              | ordinary      | 8              | D <sub>max</sub> | 1.52         | 4.53 | accept | 198      |
| 02 – C                    | 2              | ordinary      | 8              | D <sub>max</sub> | 1.52         | 4.09 | accept | 169      |
| 03 – C                    | 3              | ordinary      | 8              | D <sub>max</sub> | 1.52         | 2.98 | accept | 94       |
| Mean of Performance Group |                |               |                |                  | 1.9          | 3.85 | accept | 103      |
| Group D                   |                |               |                |                  |              |      |        |          |
| 06 – D                    | 6              | ordinary      | 8              | D <sub>max</sub> | 1.52         | 2.58 | accept | 70       |
| 09 – D                    | 9              | ordinary      | 8              | D <sub>max</sub> | 1.52         | 2.03 | accept | 33       |
| 12 – D                    | 12             | ordinary      | 8              | D <sub>max</sub> | 1.52         | 2.89 | accept | 90       |
| 15 – D                    | 15             | ordinary      | 8              | D <sub>max</sub> | 1.9          | 2.29 | accept | 51       |
| Mean of Performance Group |                |               |                |                  | 1.52         | 2.45 | accept | 29       |

Collapse is defined by global instability in IDA curves and occurs when flat lines in IDA curves are observed. Since capacity of the structure and therefore CMR is dependent on the frequency content of the ground motion records, some modifications are needed. By applying a spectral shape factor ( $SSF_i$ ), CMR is adjusted

$$ACMR_i = SSF_i \times CMR_i \quad (11)$$

$SSF_i$  can be determined from Table 7-1 of FEMA-P695. Through applying the above methodology one can determine which structure can meet the desired performance levels. It is notable that using a Pass/Fail criteria is not an appropriate index for performance assessment since it gives no information about distance of structure condition from margins of allowed performance levels. In fact, by applying such

approach no distinction can be made from structures with distance from marginal levels and the structures which are near the marginal levels. For this reason, a parameter is needed to define the factor of safety of a structure from performance levels. Margin of safety is defined as

$$(S.F.)_i = \frac{ACMR_i - ACMR_{allowable}}{ACMR_{allowable}} \quad (12)$$

Table 4. summarizes the seismic performance of the structures as well as their factor of safety. In general, results reveal that all structures demonstrated an acceptable behavior during an earthquake. This confirms that ASCE/SEI 7-05 provisions lead to design of structures with appropriate margins of safety against collapse. In addition it indicates that elastic design methods considering  $R=8$  result in acceptable nonlinear behavior of steel moment frames.

Moreover, pushover analysis results show that larger values of  $\Omega$  were obtained for the

**Table 5.** S.F. based on period.

| 5m bay length  |      |          | 8m bay length |          |
|----------------|------|----------|---------------|----------|
| No. of stories | T    | S.F. (%) | T             | S.F. (%) |
| 1              | 0.31 | 110      | 0.28          | 198      |
| 2              | 0.56 | 33       | 0.45          | 169      |
| 3              | 0.69 | 36       | 0.56          | 94       |
| 6              | 1.03 | 35       | 0.88          | 70       |
| 9              | 1.43 | 58       | 1.37          | 33       |
| 12             | 1.60 | 42       | 1.52          | 90       |
| 15             | 1.98 | 36       | 1.79          | 51       |

suggestion of  $\Omega = 5$  slightly underestimates the overstrength factor.

According to Figure 5, comparison of ACMR and SF values exhibits that for 8m bay length structures SF decreases from period  $T=0.28$  to  $1.37$  and then abruptly increases up to  $T=1.52$ . From  $T=1.52$  to  $T=1.79$ , SF decreases again. For 5m bay length structures, SF decreases from  $T=0.31$  to  $T=1.03$  and then increases up to  $T=1.43$ . For larger values of  $T$ , SF reduces again. Although variations of SF show large fluctuations, the variations for periods larger than 0.5 are much less. Table 6 displays summarized SFs for performance groups. For all cases, structures with 8m bay length exhibit a more desirable seismic performance since they reach larger ACMRs in comparison to structures with 5m bay length. This may be due to applying larger sections for larger bays which results in larger SF values. In summary, structures with short

structures. Therefore ASCE/SEI 7-05 by

**Table 6.** S.F. based on performance groups.

| 5m bay length     |      |          |
|-------------------|------|----------|
| Performance group | ACMR | S.F. (%) |
| Short Period      | 2.66 | 40       |
| Long Period       | 2.17 | 14       |
| 8m bay length     |      |          |
| Performance group | ACMR | S.F. (%) |
| Short Period      | 3.85 | 103      |
| Long Period       | 2.45 | 29       |

period show a better collapse capacity compared to larger period structures.

## 5. Conclusion

In this study, collapse capacity of a wide range of degrading steel moment frames was investigated. FEMA P-695 methodology was employed for analyses. By interpretation of static and dynamic nonlinear analyses, the following conclusions can be drawn

- By increase in height of the structure, the probability of collapse increases. However, the drop rate decreases with increase in height
- Overstrength factor provided by ASCE/SEI 7-05 is not always conservative. In this study, overstrength factors up to two times the suggested factor were obtained.
- Overstrength factor shows large variations. Therefore applying a single value in elastic analyses to model nonlinear behavior of a

wide range of structures will be an approximate.

- Structures with larger bay length demonstrate higher safety factor against collapse. This may be due to the fact that larger bay lengths result in higher design forces for the members which leads to larger sections. Therefore, these structures possess higher overstrength and consequently higher collapse safety factors.

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